

### 3.3: Estimating Square Roots

Recall: Some numbers (squares) have a "square root" that is an integer:

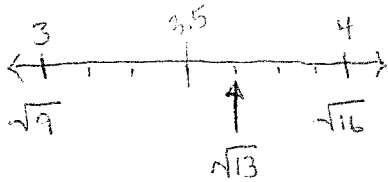
1	1	$\sqrt{1} = 1$	$1 \times 1 = 1$
		$\sqrt{4} = 2$	$2 \times 2 = 4$
		$\sqrt{9} = 3$	$3 \times 3 = 9$
		$\sqrt{16} = 4$	$4 \times 4 = 16$
		$\sqrt{25} = 5$	$5 \times 5 = 25$
		↑	↑
		All sq. roots	<u>Perfect squares</u>

- They are called perfect squares: 1, 4, 9, 16, 25, 36, 49, 64, 81, 100.
- All the other numbers are NOT perfect squares. Their square roots are NOT integers.

↳ we estimate their values

Ex. Estimate:

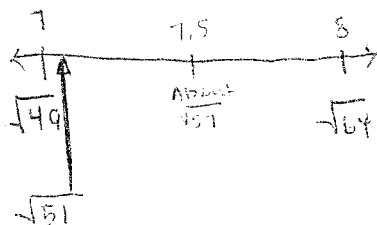
a)  $\sqrt{13}$



- 1) Draw a # line
- 2) 13 is b/tw the P.S. 9 and 16. Write these on # line (as  $\sqrt{9}$  and  $\sqrt{16}$ )
- 3) Find  $\frac{\sqrt{9}}{3}$  and  $\frac{\sqrt{16}}{4}$ . Label
- 4) Evenly divide bottom... Label with  $\sqrt{13}$
- 5) Best guess 3 "something" - more than  $\frac{1}{2}$

$\sqrt{13} \approx 3.6$  or  $3.7$   
 ↓  
 means APPROX.

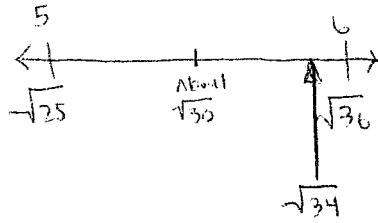
b)  $\sqrt{51}$



↳ so close to 7

$\sqrt{51} \approx 7.1$

o)  $\sqrt{34}$



$\frac{3}{4}$  of the way...  
Almost @ 6

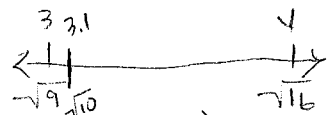
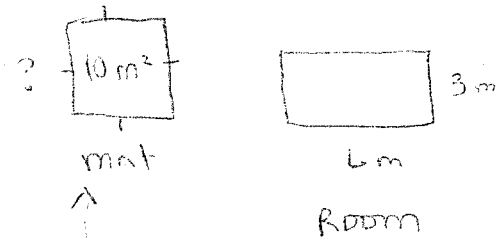
$\sqrt{34} \approx 5.8$

Ex. Identify all the whole #'s with a square root between 3 and 4.

$3^2 = 9$   
 $4^2 = 16$  > Everything b/tw 9 and 16 must have a s.r. b/tw 3 and 4.

So : 10, 11, 12, 13, 14, 15

Ex. Lucy is trying to play twister in a  $3\text{m} \times 6\text{m}$  room. the <sup>square</sup> mat measures  $10\text{m}^2$ . Will it fit?



Find side length  $\sqrt{10} = 3.1\text{m}$  (Estimate)



No. the mat doesn't fit.